

# **Engineering Entanglement**

## **Quantum Computation, Quantum Communications, and Re-conceptualizing Information**

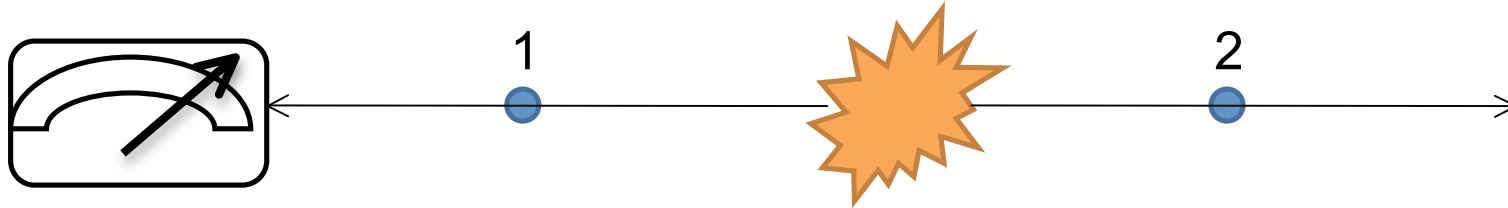
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Conference on the History of Quantum Physics  
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# The Einstein-Podolsky-Rosen Thought Experiment

$$\Psi(x_1, x_2) = \int_{-\infty}^{\infty} e^{j2\pi/h(x_1 - x_2 + x_0)p} dp$$



Measure momentum, get  $p$   
Measure position, get  $x$

Momentum =  $-p$   
Position =  $-x - x_0$

Bohmian reformulation of the EPR state: spin up  $|0\rangle$  spin down  $|1\rangle$

$$|\text{EPR}\rangle = \frac{1}{\sqrt{2}} (|0\rangle|1\rangle - |1\rangle|0\rangle)$$

**Epistemic Turn:** *Why QM is strange?*

◇ *How to use QM's strange properties?*

Entanglement as *explanandum* ◇ entanglement as *resource*

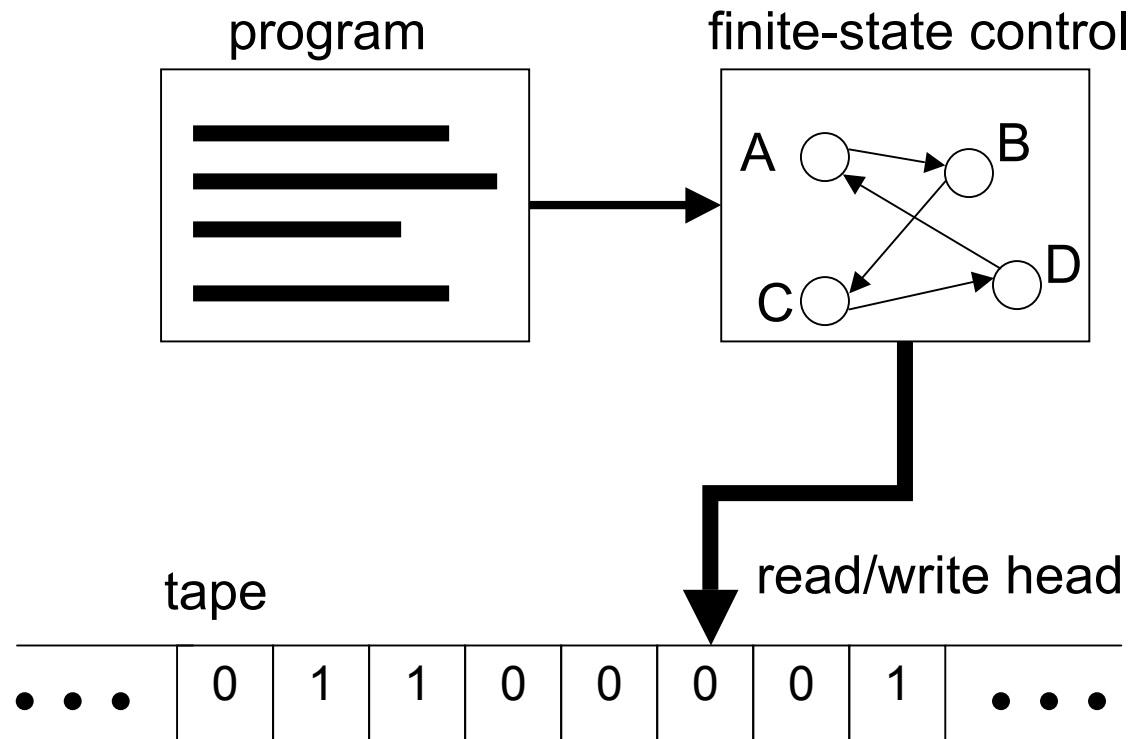
**Engineering in three senses:**

Manipulate simple quantum states of single particles

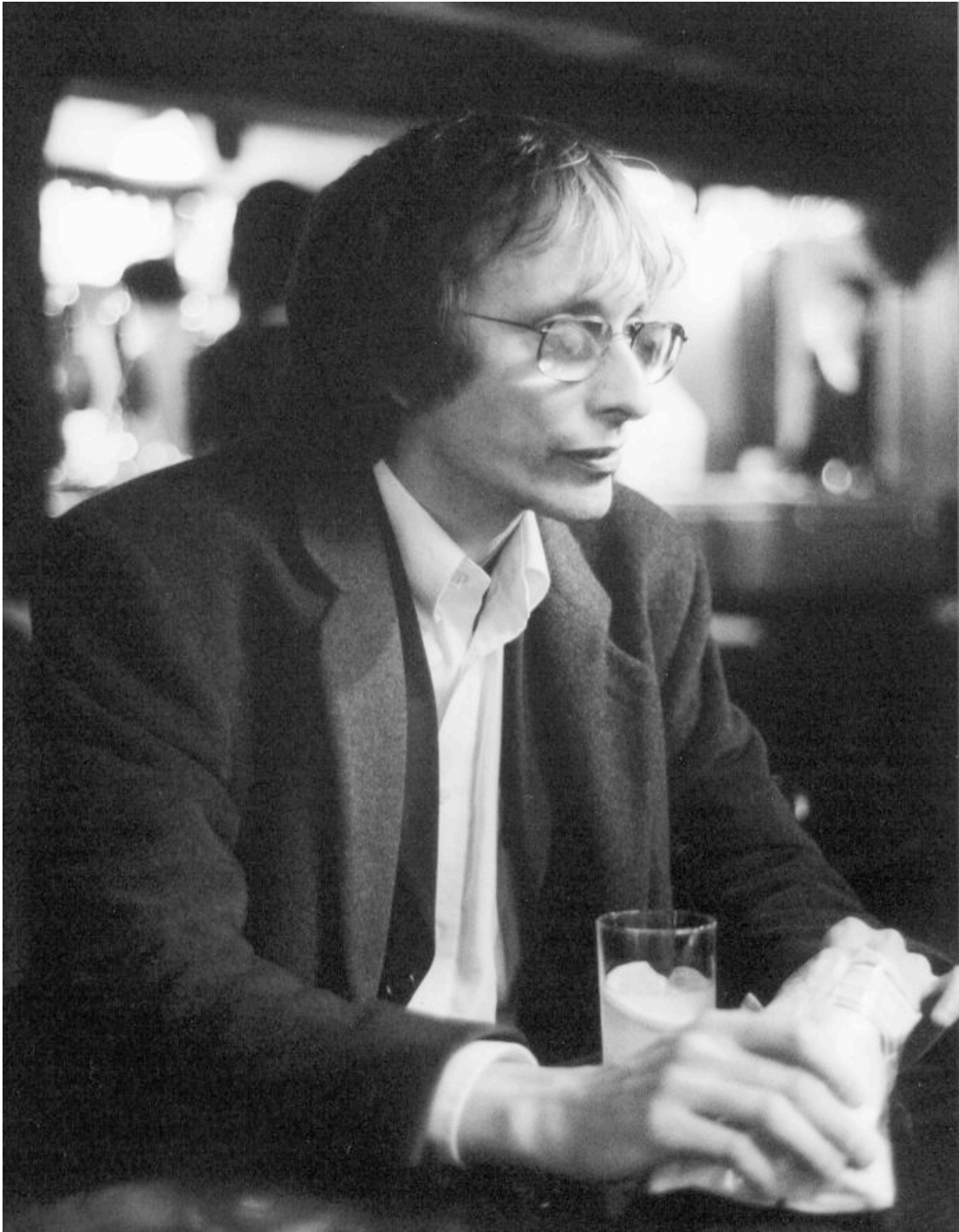
Gauge the fundamental limits of all approaches

Seek “killer applications” for extraordinary resource

# Turing Machine

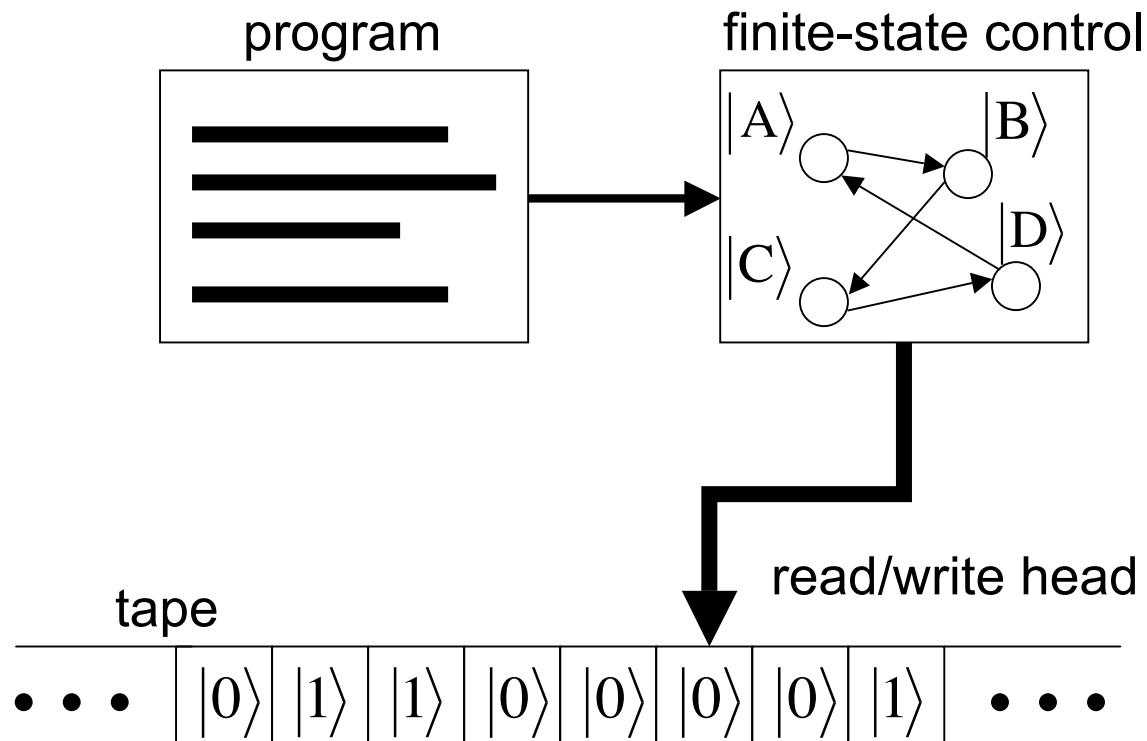


**Question:** How is it possible to implement TM with physical means?

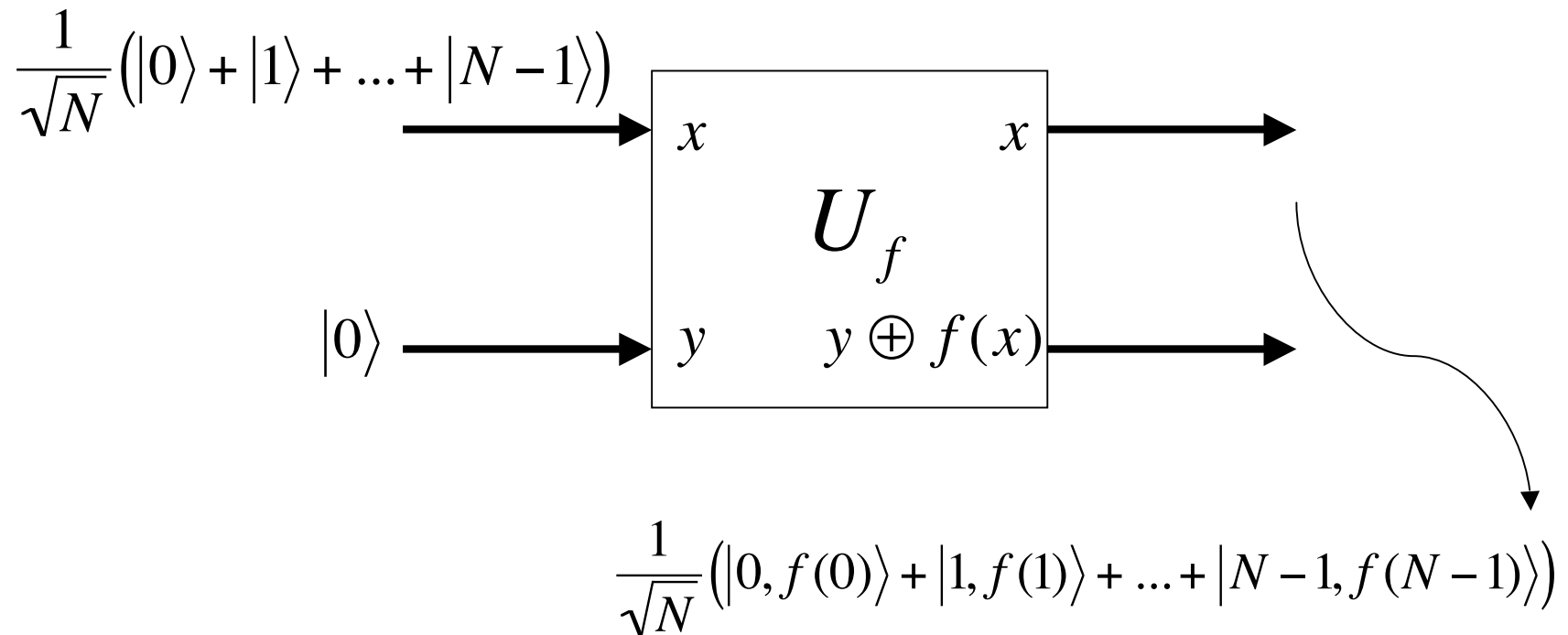


David Deutsch

# Deutsch's Quantum Turing Machine



# Quantum Parallelism





Richard Jozsa

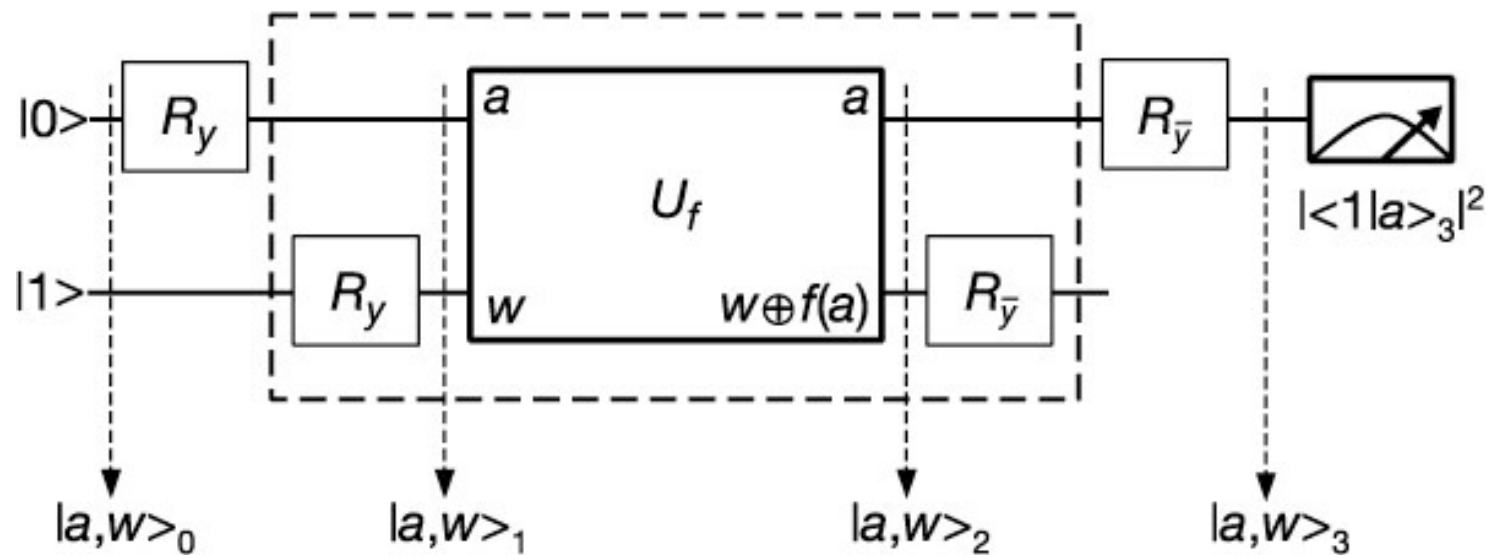


# Deutsch-Jozsa Algorithm

Constant:  $f(x) = k$  for  $x = 0, 1, 2, \dots, 2^n-1$

Balanced:  $f(x) = 0$  for half of  $x = 0, 1, 2, \dots, 2^n-1$   
 $1$  for the other half

Task: determine  $f(\cdot)$  is constant or balanced

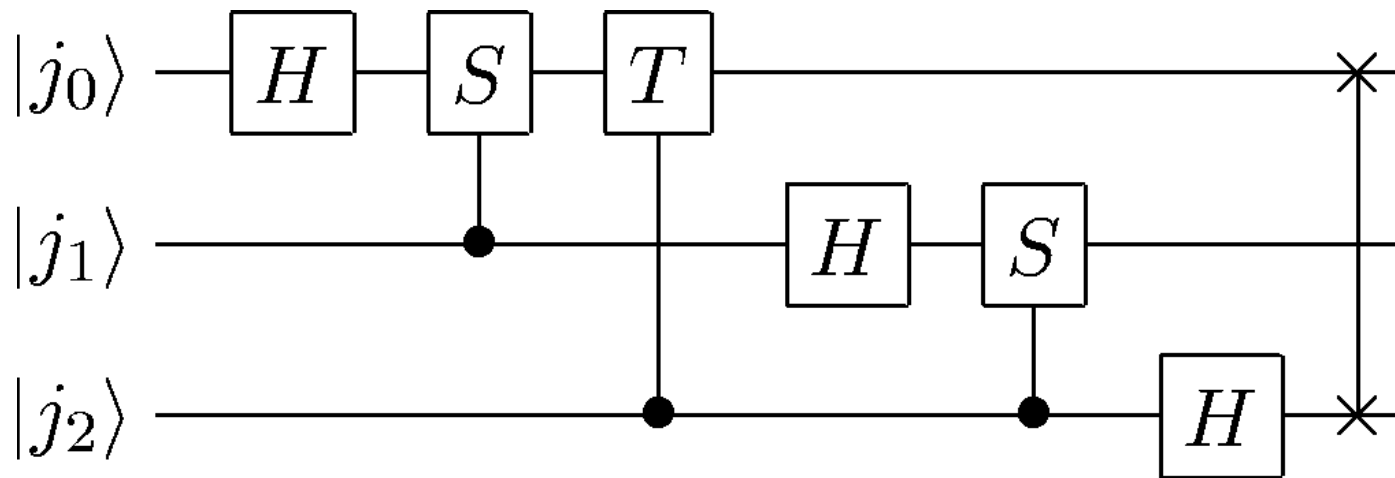


A 2-element example

Peter Shor

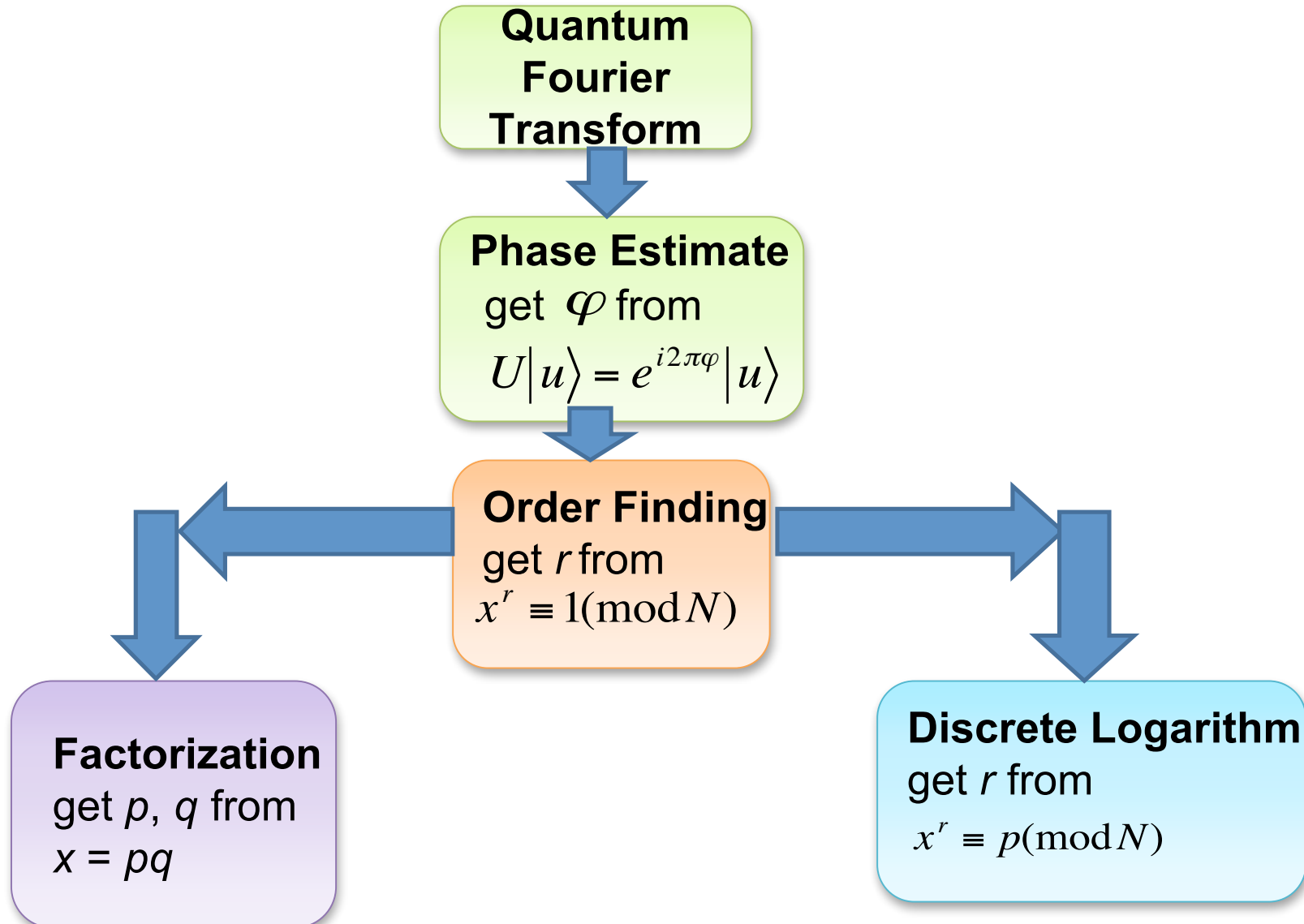


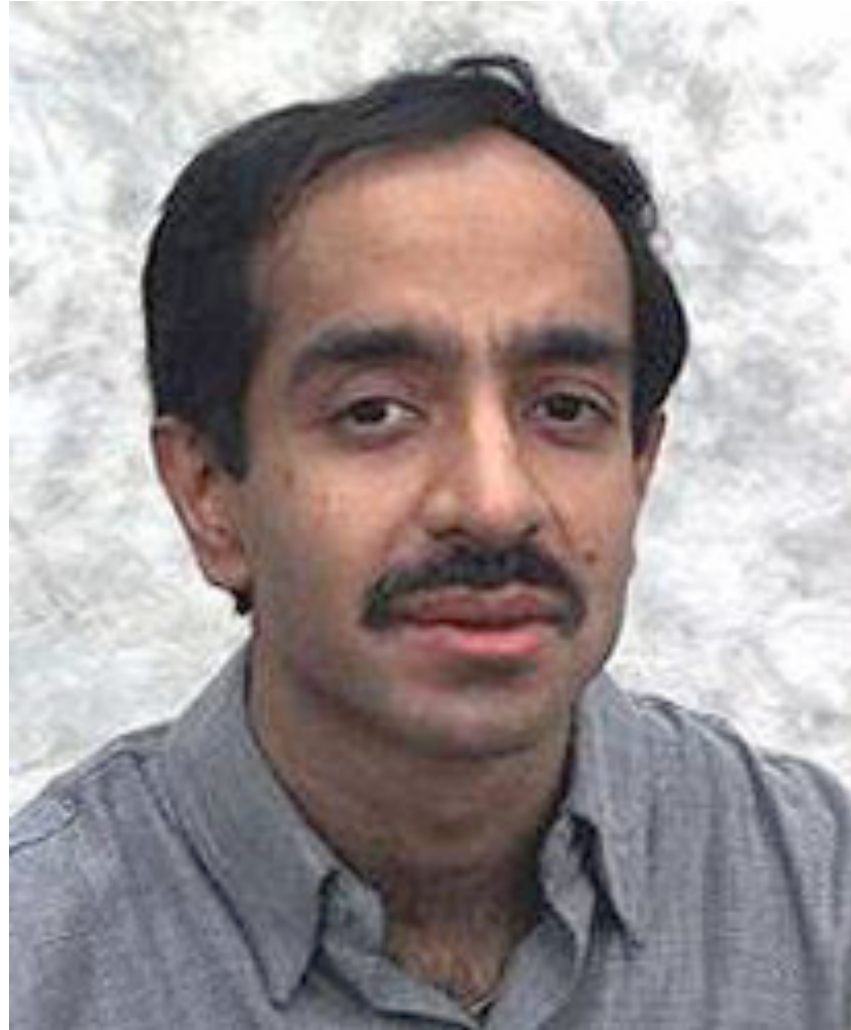
## Shor's Quantum Fourier Transform



A 3-element example

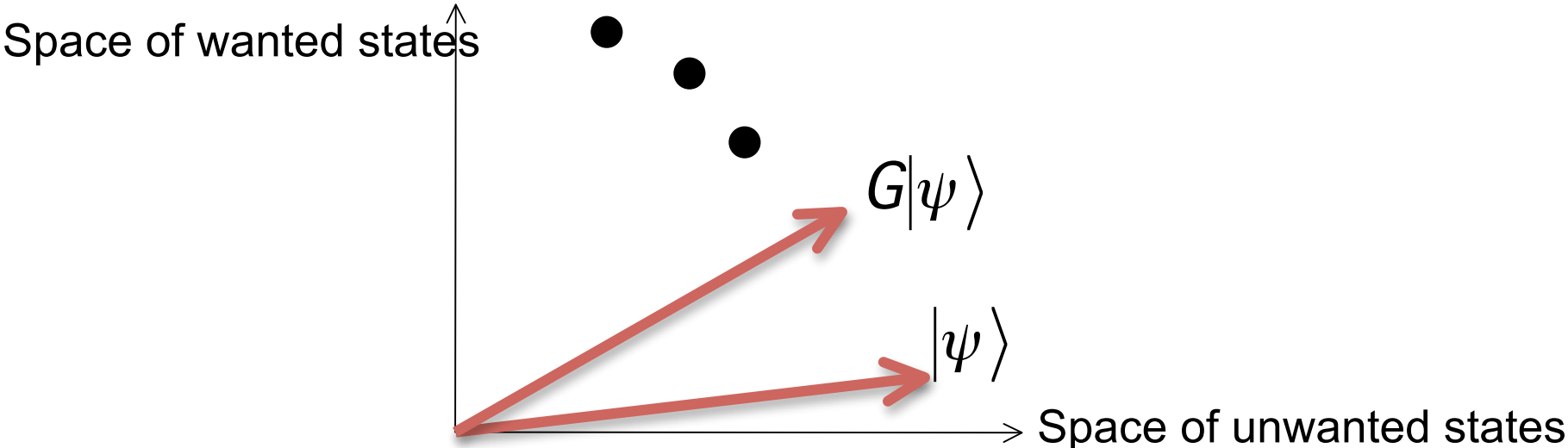
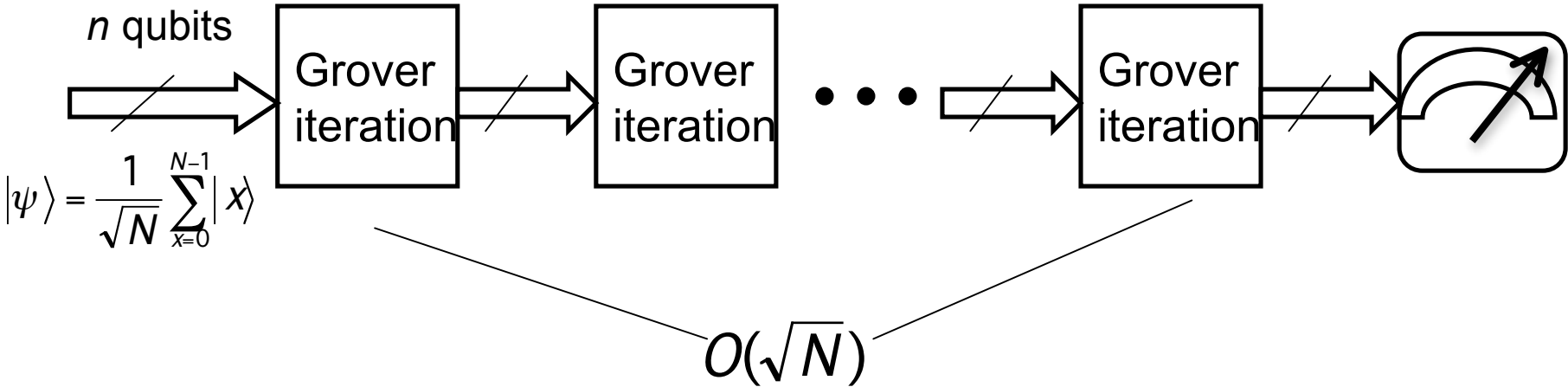
# Shor's Quantum Algorithms



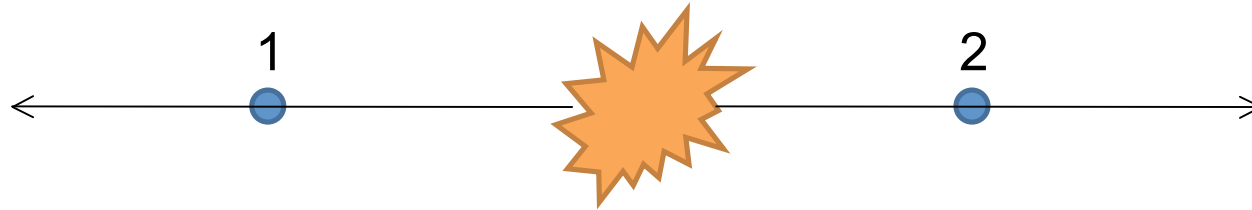


Lov Grover

# Grover's Quantum Search Algorithm



# EPR Pairs and Communications



$$\begin{aligned} |\text{EPR}\rangle &= \frac{1}{\sqrt{2}} (|0\rangle|1\rangle - |1\rangle|0\rangle) & \frac{1}{\sqrt{2}} (|0\rangle|1\rangle + |1\rangle|0\rangle) \\ & \frac{1}{\sqrt{2}} (|0\rangle|0\rangle + |1\rangle|1\rangle) & \frac{1}{\sqrt{2}} (|0\rangle|0\rangle - |1\rangle|1\rangle) \end{aligned}$$

Two particles are perfectly correlated.

Spontaneous information transmission?

Not possible

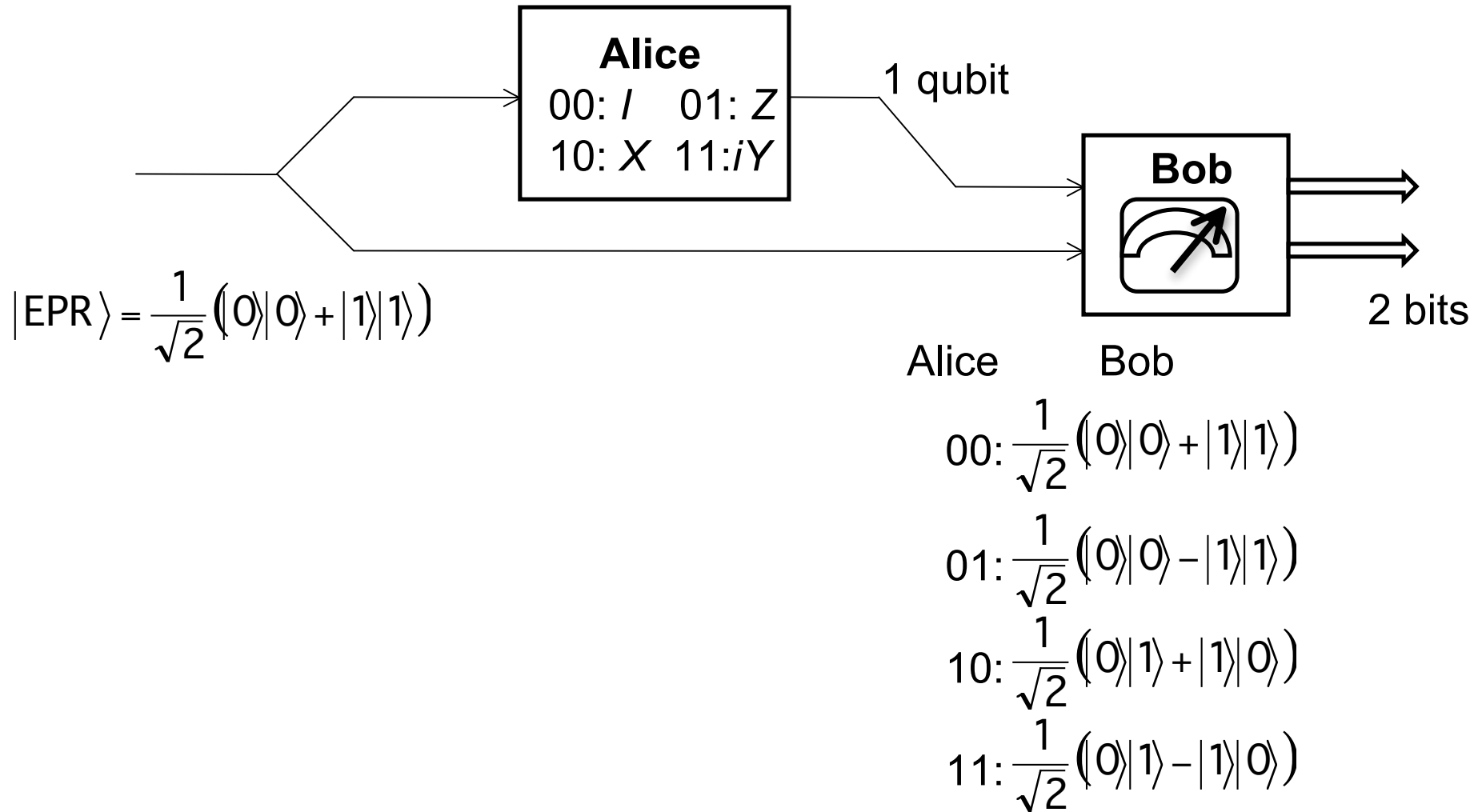
But can be used as resource for communications



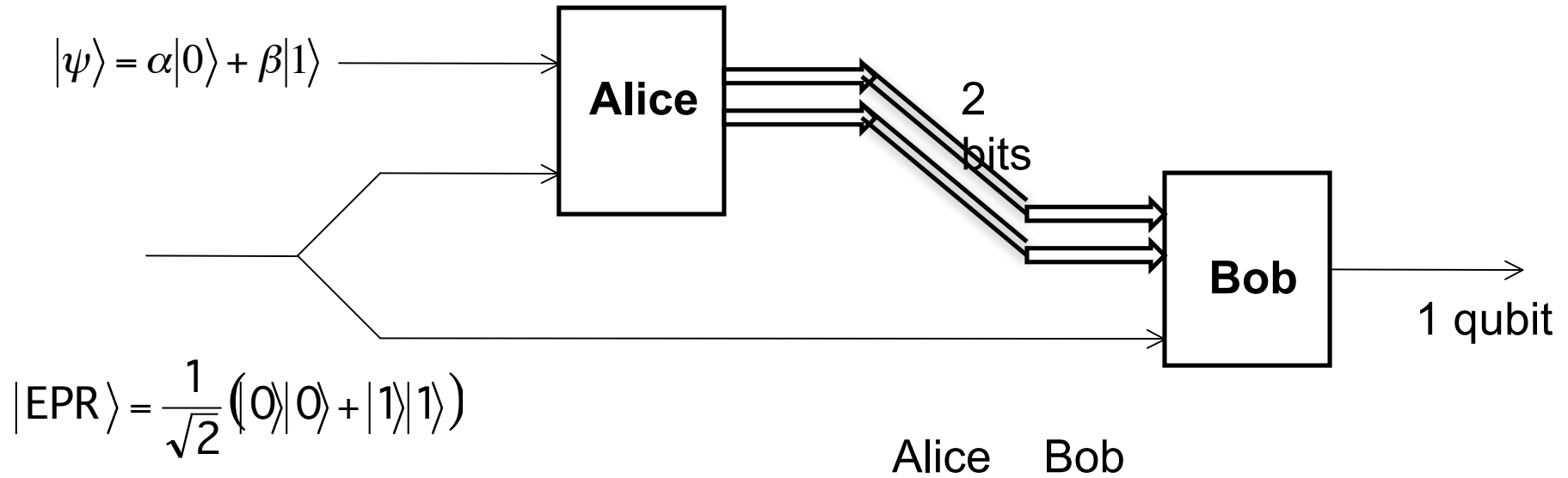
Charles H. Bennett



# Superdense Coding



# Quantum Teleportation



Alice Bob

$$00: \alpha|0\rangle + \beta|1\rangle$$

$$01: \alpha|1\rangle + \beta|0\rangle$$

$$10: \alpha|0\rangle - \beta|1\rangle$$

$$11: \alpha|1\rangle - \beta|0\rangle$$

# Ongoing Research on Quantum Information

## **Physical Implementation**

Optoelectronics

Ion Traps

Nuclear Magnetic Resonance

etc.

## **Theory**

The effects of noise

Error Correction Codes

Quantum Information Theory

etc.